

Empirical Findings on Upper-level Aggregation Issues in the HICP

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Underlying manuscript: Herzberg J., Knetsch T. A., Popova D., Schwind P. and Weinand S. (2022), Empirical Findings on Upper-level Aggregation Issues in the HICP.

1. Introduction

■ Motivation

- Inflation measurement is a relevant issue for monetary policy
→ e.g. ECB's recent Monetary Policy Strategy Review
- Total HICP measurement bias plays a role for the derivation of the monetary policy target
- Various sources of inflation mismeasurement:
 - (i) upper-level aggregation
 - (ii) lower-level aggregation
 - (iii) quality adjustment
 - (iv) new products/new outlets
 - (v) sampling

■ Contribution of this paper

- Focus on mismeasurement at the upper level of aggregation
 - Distinguish between representativity and data vintage effects
 - representativity effect: choice of index formula
 - data vintage effect: reliability of weights
 - Assessing the trade-off that the use of more current weights may come at the cost of relying on preliminary data
 - Specific example: 2012 introduction of annual update of HICP weights with preliminary national accounts data on households' consumption expenditures
- (see companion paper Herzberg et al, RoIW, forthcoming)

■ Contribution of this paper

- Quantification of upper-level aggregation bias and uncertainty for the euro area HICP
 - analysis impossible for the euro area as a whole
 - Big-5 aggregate (Germany, France, Italy, Spain, Netherlands), representing more than 80% of euro area HICP
- By-product cross-country comparison
 - providing insights into (still) non-harmonised elements in HICP weight updating rules (to-price-update vs. not-to-price-update options)

- Boskin Commission Report and the literature emerged worldwide in the aftermath of this famous study
- Greenlees/Williams (2010)
 - effect of shortening time interval for updating of weights
- Silver/Ioannidis (1994)
 - untimely weights, root mean squared error, European CPIs
- Herzberg et al. (forthcoming)
 - very similar evaluation framework

2. Methodology

Upper-level aggregation principles of HICP

- Laspeyres-type index

$$P_{\text{HICP}}^o(y, m) = \sum_{i=1}^I w_i^o(y-1, 12) \cdot \frac{p_i(y, m)}{p_i(y-1, 12)},$$

$p_i(y, m)$ - price of good i in year y and month m ;

$w_i^o(y-1) \equiv w_i^o(y-1, 12)$ - official HICP weight

- Annual updating of weights

$$w_i^o(y-1) = \bar{w}_i(y-\xi) \cdot \frac{c_i(y-2; y-1)}{c_i(y-\xi; y-1)} \cdot \frac{p_i(y-1)}{p_i(y-2)} \cdot \frac{p_i(y-1, 12)}{p_i(y-1)}$$

$c_i(y; v)$ - households' consumption expenditure of good i in year y as reported in the national accounts vintage released in year v ;

$\bar{w}_i(y-\xi)$ - (hypothetical) base weight referring to $y-\xi$, $\xi > 2$

- To-price-update: $\frac{p_i(y-1)}{p_i(y-2)}$ included
- Not-to-price-update: $\frac{p_i(y-1)}{p_i(y-2)}$ removed, the Netherlands

Benchmark price index

- Superlative price index → Törnqvist formula
- Final national accounts (NA) weights [final vintage $v = \infty$]

$$w_i^f(y-1) = \bar{w}_i(y-\xi) \cdot \frac{c_i(y-1; \infty)}{c_i(y-\xi; \infty)} \cdot \frac{p_i(y-1, 12)}{p_i(y-1)}$$

reporting period	vintage available by end of year										
	block A		block B					block C			
	2011	2012	2013	2014	2015	2016	2017	2018	2019	2020	2021
y_0	x	x	x	x	x	x	x	x	x	x	x
⋮	⋮	⋮	⋮	⋮	⋮	⋮	⋮	⋮	⋮	⋮	⋮
2009	x	x	x	x	x	x	x	x	x	x	x
2010	<i>o</i>	x	x	x	x	x	x	x	x	x	x
2011		<i>o</i>	x	x	x	x	x	x	x	x	<i>f</i>
2012			<i>o</i>	x	x	x	x	x	x	x	<i>f</i>
2013				<i>o</i>	x	x	x	x	x	x	<i>f</i>
2014					<i>o</i>	x	x	x	x	x	<i>f</i>
2015						<i>o</i>	x	x	x	x	<i>f</i>
2016							<i>o</i>	x	x	x	<i>f</i>
2017								<i>o</i>	x	x	<i>f</i>
2018									<i>o</i>	x	<i>f</i>
2019										x	<i>f</i>
2020											x

Bias and inaccuracy metrics

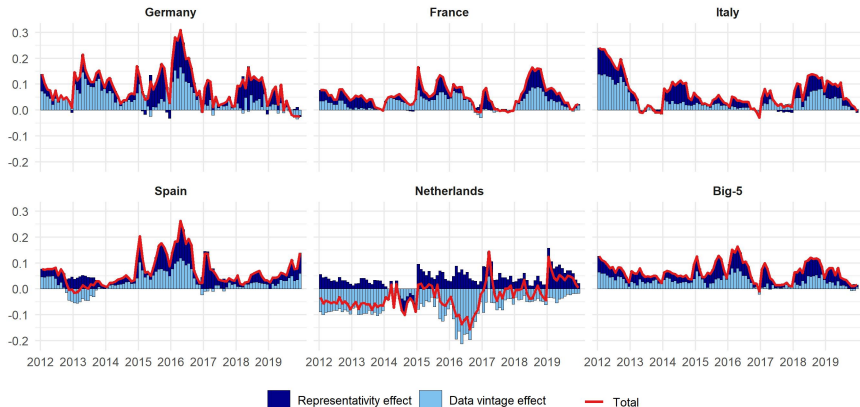
- Mismeasurement is quantified by $\frac{P_L^o}{P_{T\ddot{o}}^f}$
 - P_L^o Laspeyres-type index based on official weights (HICP)
 - $P_{T\ddot{o}}^f$ Törnqvist index based on final NA weights(benchmark)
 - $P_{T\ddot{o}}^o$ Törnqvist index based on official weights.
- Decomposition:

$$\frac{P_L^o}{P_{T\ddot{o}}^f} = \frac{P_L^o}{P_{T\ddot{o}}^o} \cdot \frac{P_{T\ddot{o}}^o}{P_{T\ddot{o}}^f}$$

representativity effect data vintage effect

3. Empirical results

Time plots of monthly deviations



■ Bias (=mean deviation)

$$MD_{\text{Total}} = \frac{1}{T} \sum_{t=1}^T \ln \left(P_L^o(t) / P_{T\ddot{o}}^f(t) \right).$$

	Representativity	Data vintage	Total
Germany	0.044	0.046	0.090
France	0.027	0.029	0.056
Italy	0.031	0.036	0.068
Spain	0.042	0.025	0.067
Netherlands	0.040	-0.069	-0.028
Big-5	0.037	0.030	0.066
Euro Area	0.022	-	-

■ Uncertainty surrounding HICP inflation

- $RMSD_{\text{Total}} = \sqrt{\frac{1}{T} \sum_{t=1}^T \ln \left(P_L^o(t) / P_{T\ddot{o}}^f(t) \right)^2}$
- IDR - Interdecile Range

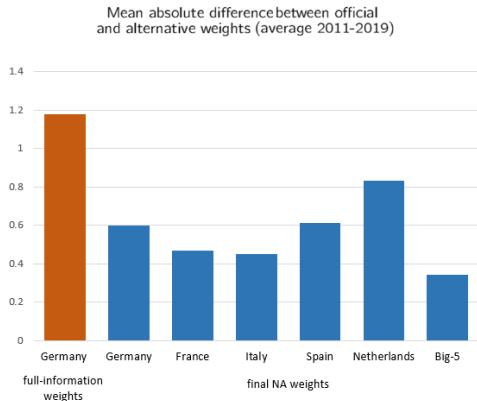
	<i>RMSD</i>			<i>IDR</i>
	Representativity	Data vintage	Total	
Germany	0.062	0.063	0.112	0.153
France	0.035	0.039	0.070	0.115
Italy	0.043	0.051	0.091	0.143
Spain	0.052	0.045	0.088	0.149
Netherlands	0.052	0.081	0.059	0.125
Big-5	0.043	0.036	0.075	0.097
Euro Area	0.028	-	-	-

4. Weight concepts in benchmark index

Final NA weights vs. full-information weights: Concepts

- Final NA weights keep construction principle of HICP weights and incorporate timely and more mature NA data
- Full-information weights make complete use of the universe of information helpful for weight compilation, irrespective of when it becomes available
 - ⇒ crucial additional element: weights are compiled using information from all household budget survey (HBS) waves.
- Our view: Price index based on full-information weights is better proxy of “true” inflation than one based on final NA weights

Final NA weights vs. full-information weights: Comparison



Contribution of data vintage component to upper-level aggregation bias of German HICP

- final NA weights:
+ 0.05 pp
- full-information weights:
+ 0.07 pp

→ With final NA weights, only a lower bound of “true” data vintage effect can be approximated

5. Summary and conclusions

Summary of results

- Total upper-level aggregation bias of the Big-5 aggregate (representing more than 80% of euro area HICP) falls short of one-tenth of a percentage point
 - Representativity and data vintage components contribute to overall bias in quite similar shares
- The interdecile range measuring the uncertainty surrounding HICP inflation due to upper-level aggregation is about one-tenth of a percentage point for the Big-5 aggregate
 - Wider interdecile ranges are observed for individual countries, suggesting that contrary developments tend to balance out in the aggregate

Conclusions

- Upper-level aggregation issues are one source of HICP mismeasurement
 - Results confirm the view that their contribution to overall mismeasurement is likely to be small
- To draw a full picture of upper-level aggregation issues, it is necessary to quantify the data vintage effect, in addition to the representativity effect
 - It is feasible to calculate final NA weights for the Big-5 aggregate. With this weight concept, however, it is possible to quantify the data vintage effect in terms of a lower bound
- Systematic cross-country differences in data vintage effects may be related to still non-harmonised elements of HICP weight updating rules
 - European price statisticians might think of future harmonisation